

CME Dynamics: Relative importance of Lorentz force and solar wind drag

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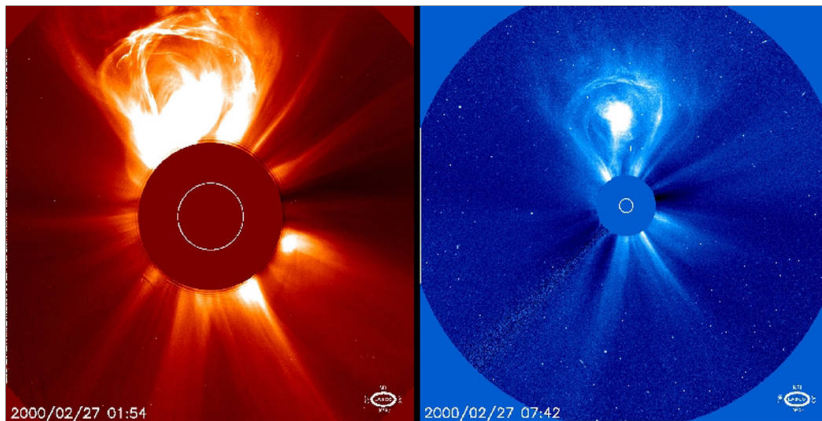
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- **Coronal Mass Ejections** (CMEs) are hot, massive blobs of plasma and magnetic fields that erupt from the solar corona.
- Seen as bright, white-light events in the coronagraph field of view.



A coronal mass ejection on Feb. 27, 2000 taken by SOHO LASCO C2 and C3. Credit: NASA

- When Earth-directed CMEs are the **main cause of disturbances** in the near-Earth space environment.
- Understanding how these CMEs propagate and evolve is therefore imperative.
- Forces acting on CMEs include:
Lorentz force, solar wind aerodynamic drag and gravity

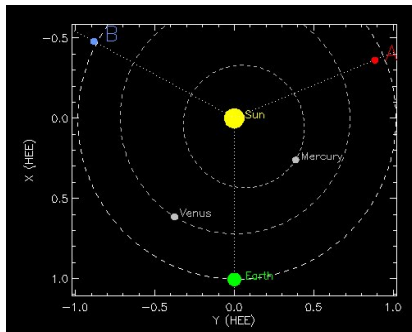
We address the following questions:

- At what **heliocentric distances** do each of these forces dominate the CME dynamics?
- Where does the Lorentz force peak?
- At what heights does it become negligible compared to aerodynamic drag ?

- We quantify the relative contributions of Lorentz forces and solar wind aerodynamic drag on the propagation of solar Coronal Mass Ejections (CMEs).
- We derive data from using Graduated Cylindrical Shell(GCS) fitting to LASCO/STEREO observations.
- We find that the Lorentz forces peak between $1.65-2.45 R_{\odot}$. They become negligible in comparison to solar wind drag above $3-4 R_{\odot}$ for fast CMEs and above $12-50 R_{\odot}$ for slow CMEs.
- In general, it is accepted that Lorentz forces affect the CME very close to the sun and drag is dominant above just a few R_{\odot} . However, this is the first study to show the Lorentz forces to be substantial upto heights of $12-50 R_{\odot}$ for slow CMEs.
- Our results are expected to be important in building a physical model for understanding the Sun-Earth dynamics of CMEs.

The three coronagraphs and Heliospheric Imagers:

1. LASCO C2
2. STEREO A
3. STEREO B, provide a 3D view of the CMEs from $\sim 3\text{--}80 R_{\odot}$.



PC: https://stereo-ssc.nascom.nasa.gov/cgi-bin/make_where_gif

Carefully tracking the expanding CME structure in all instruments, we sample a set of 38 CMEs during the rising phase of Solar Cycle 24.

- Each CME is 3D reconstructed using the **Graduated Cylindrical Shell** model that fits a flux-rope structure to the observed CMEs.
- GCS fitting provides parameter information:- **CME h-t profile, width, area, radius** etc.

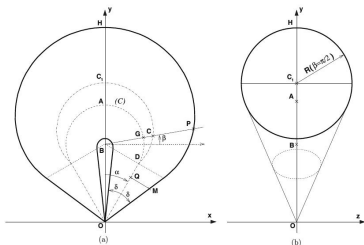
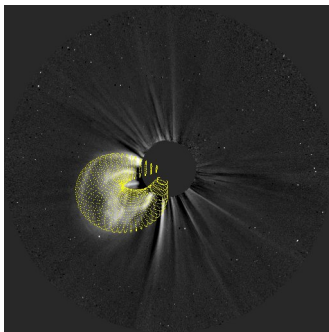


Figure 1. Schematic of the GCS model. The left panel shows a (O, x, y) planar cut of the crosspoint viewed face-on. The z -axis points toward the reader. The right panel shows a cut in the (O, y, z) plane where the crosspoint is viewed edge-on. In this view, only the circle (solid line) is in the (O, y, z) plane.

GCS geometry (Thernisien et al. 2006)



GCS fitting

A wire-mesh structure representing a flux rope is fit to the CME in each image.

- Main phases of CME propagation:
Initiation Phase :- Initial CME eruption &
Propagation Phase :- Forces affecting subsequent dynamics
- Interplay between the **driving Lorentz forces; Solar wind drag & gravity** determines the CME propagation dynamics.

$$\begin{aligned}
 F &= m_{cme} \frac{d^2 R}{dt^2} \\
 &= F_{Lorentz} + F_{drag} \\
 &= \left\{ \left[\frac{\pi I^2}{c^2} \left(\ln \left(\frac{8R}{b} \right) - \frac{3}{2} + \frac{l_i}{2} \right) \right] - \frac{(\pi R) I B_{ext}(R)}{c} \right\} \\
 &\quad - \frac{1}{2} C_D A_{cme} n_{sw} m_p (V_{cme} - V_{sw}) |V_{cme} - V_{sw}|
 \end{aligned}$$

where, F –total force,

m_{cme} – CME mass,

R – heliocentric distance of the leading edge of the CME

- Solar wind can “pick up” a slow CME or “drag down” a fast CME depending on the CME velocity relative to the solar wind velocity.
- **Momentum coupling** between the CME and the Solar wind is represented by:

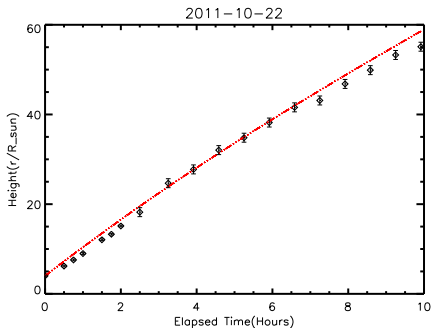
$$F_{drag} = -\frac{1}{2} C_D A_{cme} n_{sw} m_p (V_{cme} - V_{sw}) |V_{cme} - V_{sw}|$$

Drag Coefficient, C_D describes the **strength** of the momentum coupling between the CME and the solar wind.

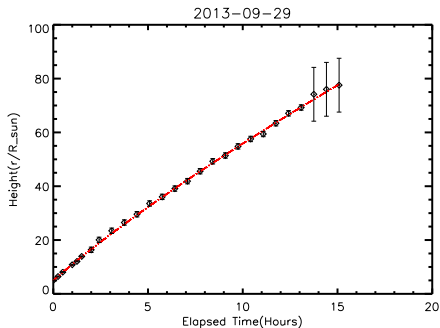
$$C_D = 0.148 - 4.3 \times 10^4 Re^{-1} + 9.8 \times 10^{-9} Re$$

- The 1D drag equation is solved from first observed height (h_0), using corresponding observational parameters (i.e., A_{cme} , n_{sw} , V_{sw} , C_D).

For Fast CMEs, (Initial velocity $v_0 > 900 \text{ km s}^{-1}$), the model predictions (**Red dash dotted line**) match well with observations (black diamonds) when the model is initiated from first observed height.



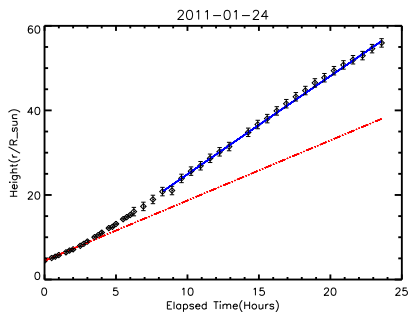
CME 18 ($\sim 1276 \text{ km s}^{-1}$ & $h_0 = 4R_\odot$)



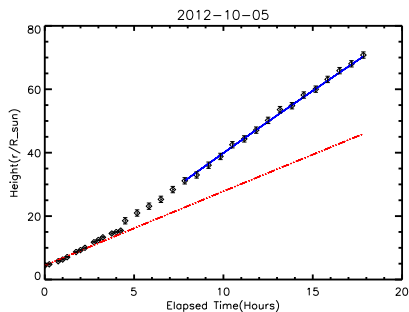
CME 36 ($\sim 1217 \text{ km s}^{-1}$ & $h_0 = 4.9R_\odot$)

- Observed for all the fast CMEs ($v_0 > 900 \text{ km s}^{-1}$).
- Fast CMEs are drag dominated from as low as 3-4 R_\odot .
- Fast CMEs are governed by solar wind drag from very early on.

For slow(er) CMEs ($v_0 < 900 \text{ km s}^{-1}$), when initiated from h_0 , model solutions disagree considerably. Model is initiated from **progressively later heights** till the model trajectory matches the observations (Blue).



CME8 ($\sim 276 \text{ km s}^{-1}$ & $\tilde{h}_0 = 21 R_\odot$)



CME29 ($\sim 461 \text{ km s}^{-1}$ & $\tilde{h}_0 = 31 R_\odot$)

- \tilde{h}_0 lies between **12–50 R_\odot** for slow CMEs.
- Dynamics of slow CMEs is **dominated** by solar wind drag only beyond \tilde{h}_0 .
- *Sachdeva et al. (2015), The Astrophysical Journal, 809, 158.*

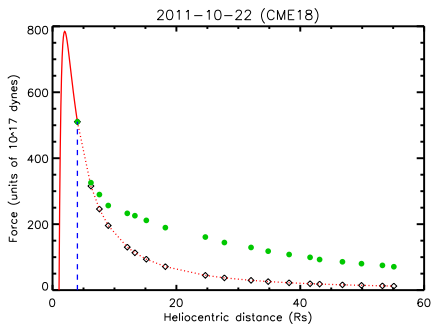
Lorentz force:

$$F_{Lorentz} = \left\{ \left[\frac{\pi I^2}{c^2} \left(\ln \left(\frac{8R}{b} \right) - \frac{3}{2} + \frac{l_i}{2} \right) \right] - \frac{(\pi R) I B_{ext}(R)}{c} \right\}$$

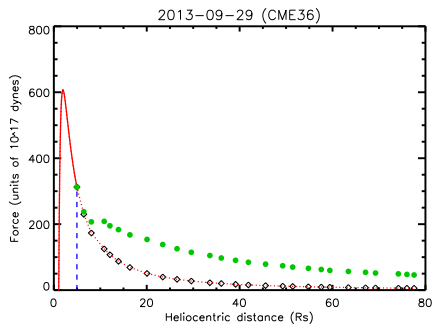
where, I – CME current, c – speed of light, b – CME minor radius & l_i – internal inductance.

- Lorentz force prescription follows *Kliem and Török, 2006* who model **Torus Instability**.
- It requires that the external field (i.e B_{ext}) should fall rapidly enough so that the CME can launch.
- First Term represents the **Lorentz self forces** i.e. $((1/c)J \times B)$ acting on the expanding CME current loop that accelerate the CME.
- Second term is the **force due to the external poloidal field** ($B_{ext} \propto R^{-n}$) that tends to hold down the expanding CME.
- CME current, I is estimated using the conservation of total magnetic flux(i.e. Internal + External).

Fast CMEs ($v_0 > 900 \text{ km s}^{-1}$),



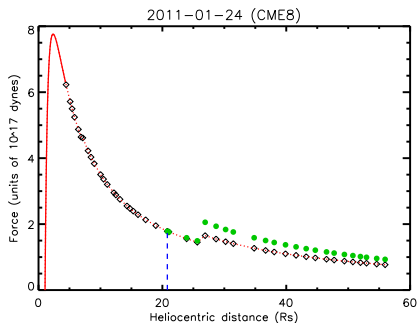
$$v_0 \sim 1276 \text{ km s}^{-1}, h_{peak} = 1.95 R_{\odot}, n=2.1$$



$$v_0 \sim 1217 \text{ km s}^{-1}, h_{peak} = 1.95 R_{\odot}, n=2.1$$

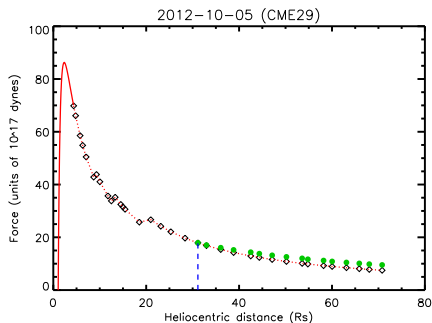
- Lorentz force profile increases from the equilibrium position, h_{eq} , peaks at h_{peak} and then decreases gradually.
- For all fast CMEs, we find that the solar wind drag is much larger than the Lorentz force in magnitude.
- *Fall%*-Decrease in Lorentz Force from peak value at (h_{peak}) upto \tilde{h}_0 .
- For CME 18, *Fall %* = 35 % and for CME 36 it is 48 %.

Slow CMEs ($v_0 < 900 \text{ km s}^{-1}$),



$$v_0 \sim 276 \text{ km s}^{-1}, \tilde{h}_0 = 20.8 R_{\odot}, n = 1.6,$$

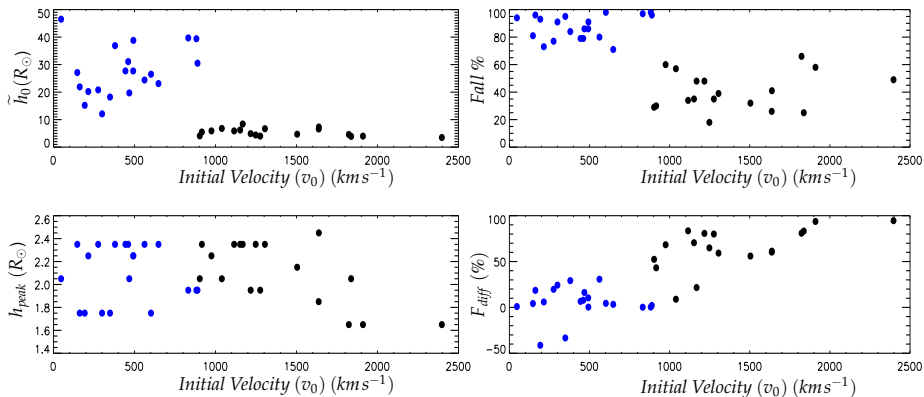
$$h_{peak} = 2.35 R_{\odot}, \text{Fall\%} = 77\%$$



$$v_0 \sim 461 \text{ km s}^{-1}, \tilde{h}_0 = 31.1 R_{\odot}, n = 1.6,$$

$$h_{peak} = 2.35 R_{\odot}, \text{Fall\%} = 79\%$$

- Lorentz forces peak fairly early on ($h_{peak} \approx 1.65\text{--}2.45 R_{\odot}$).
- They become negligible only as far out as $12\text{--}50 R_{\odot}$.
- For slow CMEs, *Fall%* lies between 70-98 %.
- Thus, Lorentz force governs the CME dynamics upto $12\text{--}50 R_{\odot}$ in case of slow CMEs.



- Slow CMEs-Blue circles, Fast CMEs-Black circles
- \tilde{h}_0 -Height beyond which Solar Wind drag dominates
- h_{peak} - Lorentz Force peak position
- F_{diff} - Fall in Lorentz Force between h_{peak} and \tilde{h}_0 ;

- $$F_{diff} = \frac{F_{drag} - F_{Lorentz}}{F_{drag}} \times 100\%$$

- While **fast** CMEs are drag dominated from very early on $\sim 3 - 4R_{\odot}$, we find that dynamics of **slow** CMEs is dominated by aerodynamic drag **above heights 12-50 R_{\odot}** .
- The Lorentz Forces are dominant **below** these heliocentric distances and **negligible** above it.
- The Lorentz Force decrease from h_{peak} upto \tilde{h}_0 lies between **20-60 %** for fast CMEs and **70-98%** for slow CMEs.
- Drag force is **50-90 %** larger than Lorentz Force (at $40 R_{\odot}$) for most of the fast CMEs. Drag model succeeds for fast CMEs.
- In case of **slow CMEs**, this number ranges from **0.2-30%**. That is, Lorentz force is only slightly smaller than the drag.
- Thus, for **slow CMEs**, the dominance of drag force is not as pronounced when compared to the Lorentz Force, or the difference between the two forces is more **pronounced** for fast CMEs than for slow ones.

- Since, the drag-only model describes the data well for all CMEs, the computed lorentz forces may be an **overestimate** for slow CMEs.
- Magnetic flux which is assumed to be frozen in, might infact be partly dissipating in either expanding the CME or heating the plasma.
- This magnetic energy which is expended is not taken into account.
- Therefore, this work suggests that such dissipation effects might be important especially in the case of slow CMEs.
- To the best of our knowledge, this is the first systematic study in this regard using a diverse CME sample.
- **Sachdeva et al. (2017) Solar Physics, 292, 118.**

Thesis writing near completion.

*THANK YOU
for your attention*

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