

ASTR 111 – 003 Lecture 03 Sep. 17, 2007

Introduction To Modern Astronomy I: Solar System

Introducing Astronomy (chap. 1-6)

Planets and Moons (chap. 7-15)

Chap. 16: Our Sun

Chap. 28: Search for

Extraterrestrial life

Ch1: Astronomy and the Universe

Ch2: Knowing the Heavens

Ch3: Eclipses and

the Motion of the Moon

Ch4: Gravitation and

the Waltz of the Planets

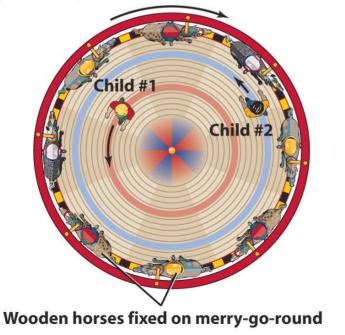
Ch5: The Nature of Light

Ch6: Optics and Telescope

Ancient Geocentric models

- Ancient astronomers believed the Earth to be at the center. of the universe, and the Earth is at rest
- All the stars are fixed on the celestial sphere, rotating once a day
- The Sun and Moon move slowly eastward with respect to

the stars Merry-go-round rotates clockwise Celestial sphere rotates to the west



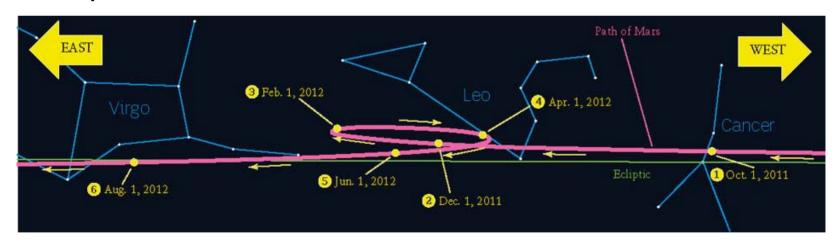
Sun Moon **Earth** Stars fixed on celestial sphere

(a) A rotating merry-go-round

(b) The Greek geocentric model

Planetary Motion

- Like the Sun and Moon, the planets usually move slowly eastward on the celestial sphere with respect to the background of stars
- This eastward progress is called direct motion
- Retrograde motion: but from time to time, the planets stop, and move westward for several weeks or months

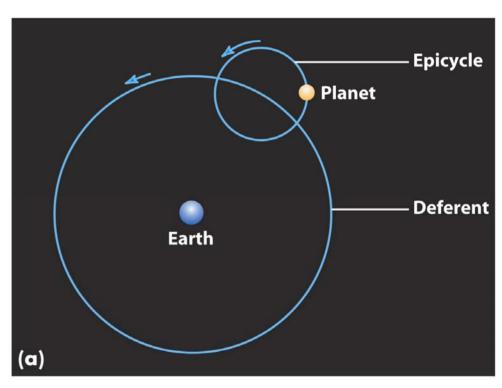


The Path of Mars in 2011-2012

Ptolemaic System: cycles on cycles

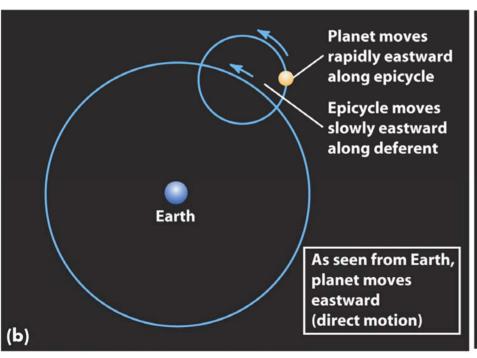
- Ptolemaic system (~ 200 AD): each planet is assumed to move in a small cycle called an epicycle, whose center in turn moves in a large cycle, called a deferent, which is centered on the Earth
- Both the epicycle and deferent rotates in the same direction ---counter clock-wise

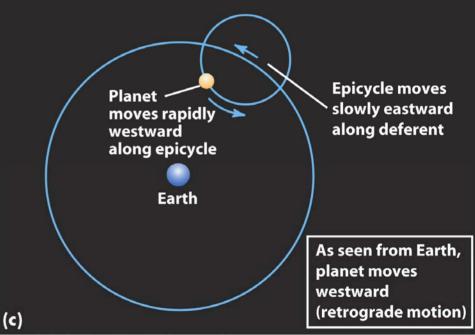
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Ptolemaic System: cycles on cycles

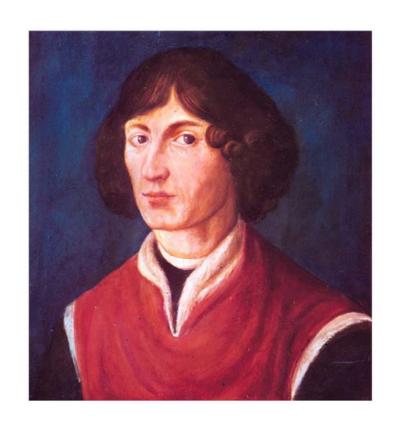
 When the planet is on the part of its epicycle nearest Earth, the motion of the planet along the epicycle is opposite to the motion of the epicycle along the deferent. The planet therefore appears to go backward in retrograde





Heliocentric Model by Copernicus

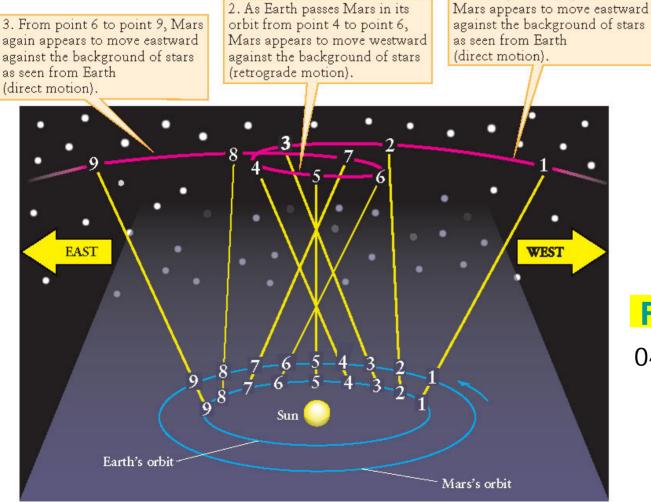
- Heliocentric (Suncentered) model: all the planets, including the Earth, revolve about the Sun
- A heliocentric model simplifies the explanation of the retrograde motion of planets
- Occam's razor: simple explanations of phenomena are most likely to be correct



Nicolaus Copernicus (1473 – 1543)

Heliocentric Model by Copernicus

 Retrograde motion of a planet is caused by the Earth overtaking and passing the slow-moving planet



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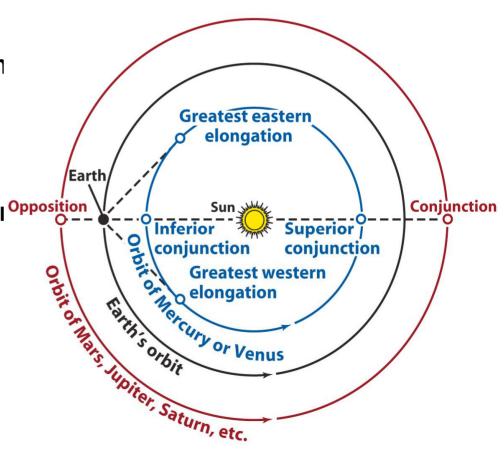
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Planetary Configurations

- Inferior planets: Mercury and Venus
 - Their orbits are smaller than the Earth
 - They are always observed near the Sun in the sky

Elongation: the angle between the Sun and a planet as viewed from Earth

- Greatest Eastern Elongation
 - Mercury or Venus visible after sunset
 - Called "evening star"
- Greatest Western Elongation Opposition Company
 - Mercury or Venus visible before sunrise
 - Called "morning star"



Planetary Configurations

- Superior planets: Mars, Jupiter and Saturn
 - Their orbits are larger than the Earth

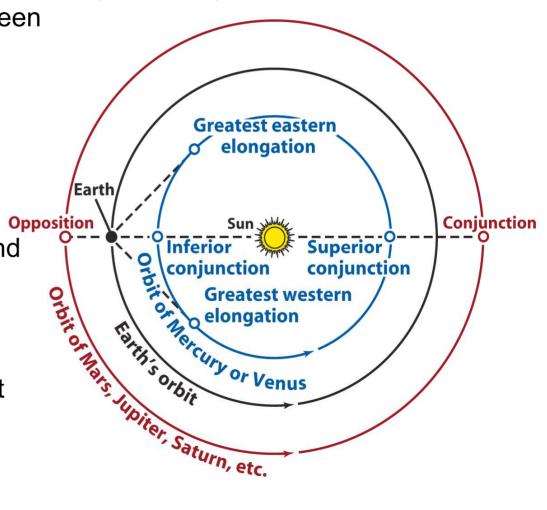
 They can appear high in the sky at midnight, thus opposite the Sun with Earth in between

Conjunction:

 The Sun and planet appear together in the celestial sphere

Opposition:

- Earth is between Sun and planet
- Planet is highest in the sky at midnight
- Planet appears brightest because it is closest to the Earth



Synodic Period and Sidereal Period

- Synodic period: the time that elapses between two consecutive identical configurations as seen from the Earth
 - e.g., from one opposition to the next for superior planets
 - e.g., from one greatest eastern elongation to the next for inferior planets
- Sidereal period: true orbital period, the time it takes the planet to complete one full orbit of the Sun relative to the stars
- Sidereal period is deduced from observed synodic period

table 4-1	Synodic and Sidereal Periods of the Planets		
Planet	Synodic period	Sidereal period	
Mercury	116 days	88 days	
Venus	584 days	225 days	
Earth	<u> </u>	1.0 year	
Mars	780 days	1.9 years	
Jupiter	399 days	11.9 years	
Saturn	378 days	29.5 years	
Uranus	370 days	84.1 years	
Neptune	368 days	164.9 years	
Pluto	367 days	248.6 years	

Synodic Period and Sidereal Period

For an inferior planet, over one synoptic period

Angular distance of the planet (360 / P X S) =

Angular distance of the Earth (360 /E X S) + 360°

$$\frac{1}{P} = \frac{1}{E} + \frac{1}{S}$$

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P = sidereal period of the planet

E = sidereal period of the Earth = 1 year

S = synoptic period of the planet (from observation)

For example: Mercury

S = 0.318 year (116 days)

P = 0.242 year = 88 days

Synodic Period and Sidereal Period

For an superior planet, over one synoptic period

Angular distance of the planet (360 / P X S) =

Angular distance of the Earth (360 /E X S) - 360°

$$\frac{1}{P} = \frac{1}{E} - \frac{1}{S}$$

P = sidereal period of the planet

E = sidereal period of the Earth = 1 year

S = synoptic period of the planet (from observation)

For example: Jupiter

S = 1.092 year 398 days)

P = 11.87 year = 4333 days

Heliocentric Model by Copernicus

- Copernicus determined the sidereal period of planets
- Copernicus also determined the distance of the planets from the Sun using trigonometry

table 4-2	Average Distances of the Planets from the Sun				
Planet	Copernican value (AU*)	Modern value (AU)			
Mercury	0.38	0.39			
Venus	0.72	0.72			
Earth	1.00	1.00			
Mars	1.52	1.52			
Jupiter	5.22	5.20			
Saturn	9.07	9.55			
Uranus	_	19.19			
Neptune		30.07			
Pluto		39.54			
*1 $AU = 1$ astronomical unit = average distance from the Earth to the Sun.					

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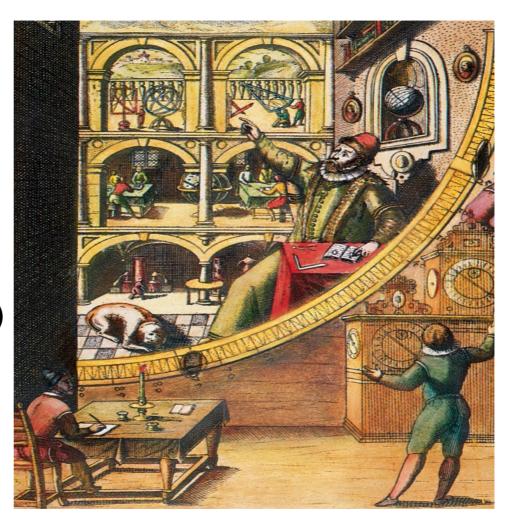
the Waltz of the Planets

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Tycho Brahe's Observations

- Brahe's observations measured the positions of stars and planets with unprecedented accuracy (about 1 arcmin) (before the invention of telescope)
- The data obtained by Brahe put the heliocentric model on a solid foundation.



Tycho Brahe (1546 – 1601)

Johannes Kepler

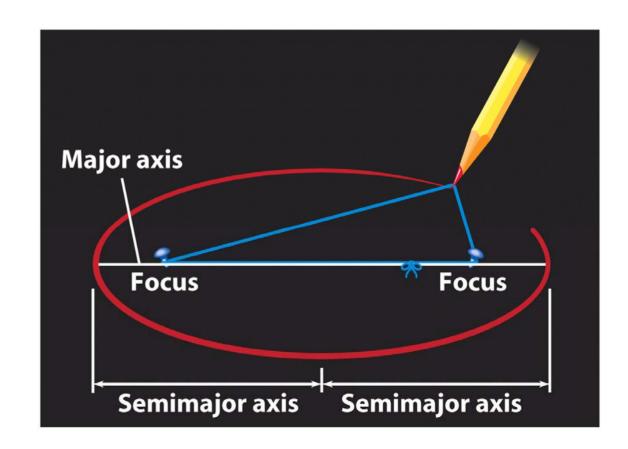


- Using data collected by Tycho Brahe, Kepler deduced three laws of planetary motion, which are about
- 1. Orbital shape
- 2. Orbital speed
- 3. Orbital period

Johannes Kepler (1571 – 1630)

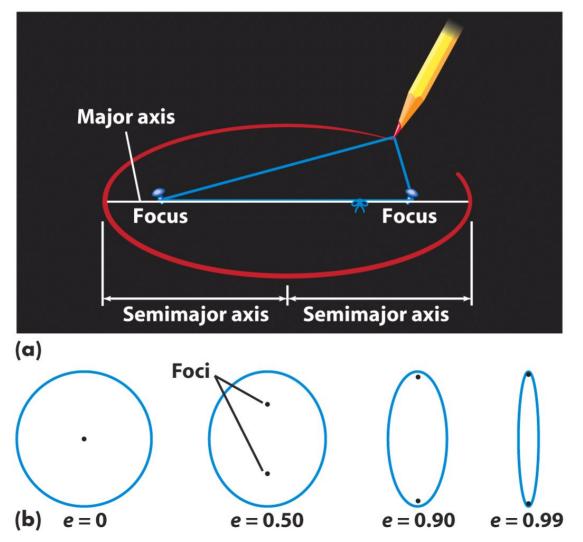
Kepler's First Law

- Kepler's first law: the orbit of a planet about the Sun is an ellipse, with the Sun at one focus
- Semimajor axis: the average distance between the planet and the Sun
- Assuming ellipse, Kepler found his theoretical calculations match precisely to Tycho's observations.



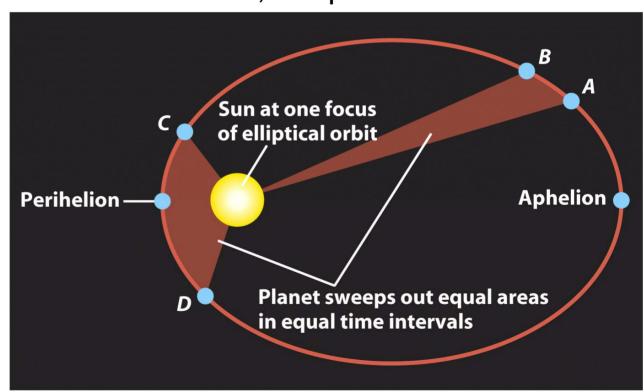
Ellipse

Eccentricity e: the measure of the deviation from the perfect circle



Kepler's Second Law

- Kepler's second law: a line joining a planet and the Sun sweeps out equal areas in equal interval of time
- Perihelion: nearest the Sun; the planet moves fastest
- Aphelion: farthest from the Sun; the planet moves slowest



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Kepler's Third Law

 Kepler's third law: the square of the sidereal period of a planet is directly proportional to the cube of the semimajor axis of the orbit

$$P^2 = a^3$$

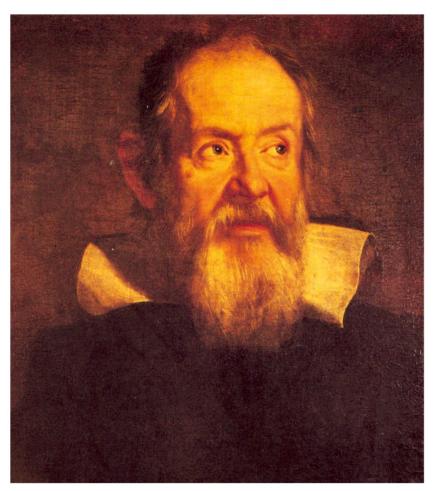
P = planet's sidereal period, in yearsa = planet's semimajor axis, in AU

table 4-3	A Demonstration of Kepler's Third Law ($P^2 = a^3$)				
Planet	Sidereal period P (years)	Semimajor axis a (AU)	P^2	a^3	
Mercury	0.24	0.39	0.06	0.06	
Venus	0.61	0.72	0.37	0.37	
Earth	1.00	1.00	1.00	1.00	
Mars	1.88	1.52	3.53	3.51	
Jupiter	11.86	5.20	140.7	140.6	
Saturn	29.46	9.55	867.9	871.0	
Uranus	84.10	19.19	7,072	7,067	
Neptune	164.86	30.07	27,180	27,190	
Pluto	248.60	39.54	61,800	61,820	

Kepler's Laws

- Kepler's laws of planetary motion are a landmark in astronomy
- They made it possible to calculate the motions of planets with better accuracy than any geocentric model ever had
- They passed the test of Occam's razor
- They helped to justify the idea of heliocentric models

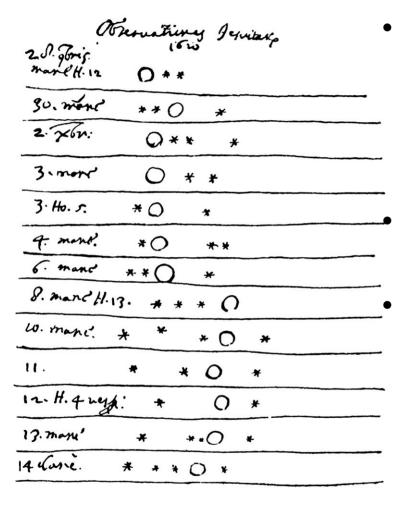
Galileo's Discoveries with Telescope



- The invention of the telescope in the early 17th century changed astronomy forever.
- Galileo's discoveries forever changed people's view about heavens

Galileo Galilei (1564 – 1642)

Galileo's Discoveries



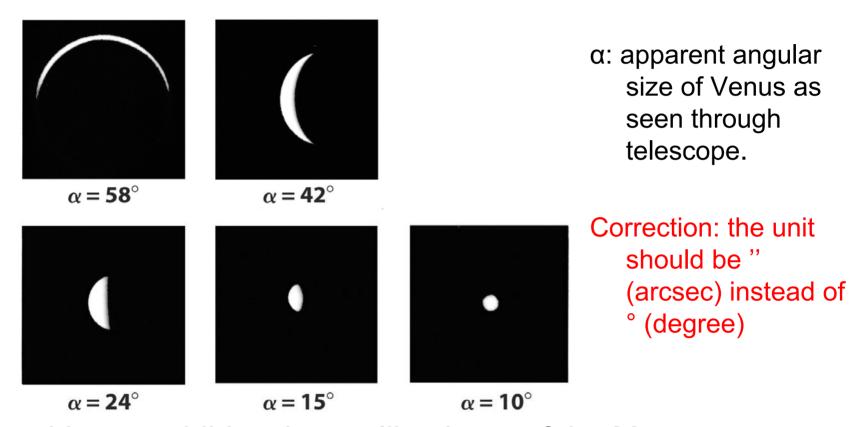
- Galileo discovered four moons, now called the Galilean satellites, orbiting Jupiter
 - Io, Europa, Ganymede and Callisto

The Earth is not at the center of all heavenly objects.

He also discovered

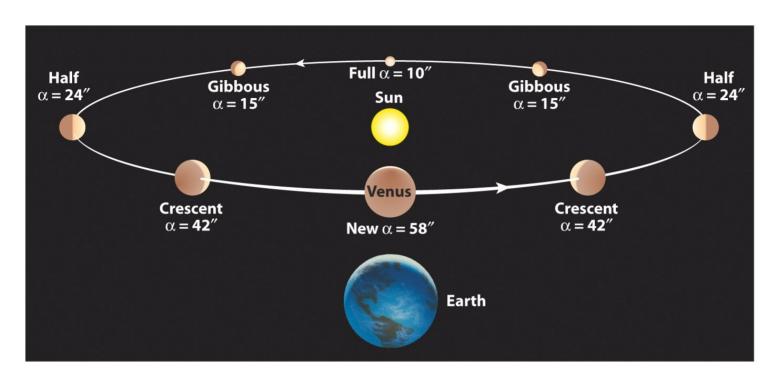
- The Milky Way is not a featureless band of light, but "a mass of innumerable stars"
- Mountains on the Moon
- Sunspot on the Sun
- Ring of Saturn

Phases of Venus



- Venus exhibits phases like those of the Moon
- The apparent size (α) is related to the planet's phase
 - Venus appears larger at crescent phase
 - Venus appears smaller at gibbous phase

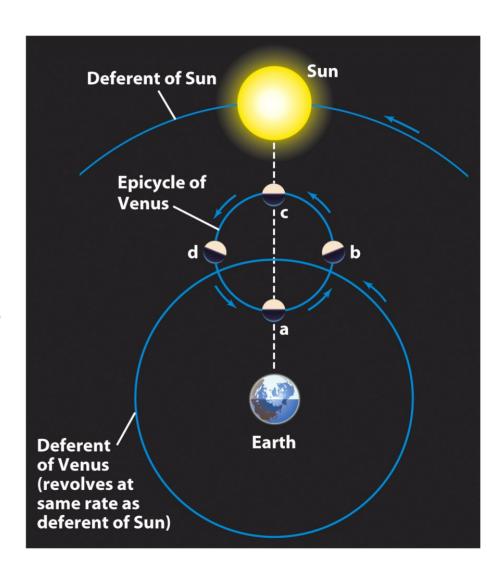
Phases of Venus



- Heliocentric model provides a natural explanation for the phases of Venus
 - When Venus is on the same side of the Sun as the Earth, we see it a "new" phase and with a larger angular size
 - When Venus is on the opposite side of the Sun from the Earth, it appears full and has a small angular size

Phases of Venus

- Ptolemaic geocentric model was wrong
- To explain why Venus is never seen very far from the Sun, the Ptolemaic model had to assume that the deferents of Venus and of the Sun move together in lockstep, with the epicycle of Venus centered on a straight line between the Earth and the Sun
- In this model, Venus was never on the opposite side of the Sun from the Earth, and so it could never have shown the gibbous phases that Galileo observed



Isaac Newton



Isaac Newton (1642 -- 1727)

- Isaac Newton, based on the insight into fundamental principles, introduced
 - three laws of motion
 - Law of Inertia
 - Law of Force
 - Law of Action and Reaction
 - the law of universal gravitation

Newton First Law of Motion

- First law of motion, or law of inertia:
 - A body remains at rest, or moves in a straight line at a constant velocity, unless acted upon by a net outside force
- Speed: a measure of how fast an object is moving
- Velocity: the combination of speed and direction of motion

Newton Second Law of Motion

Second law of motion, or law of force:

The acceleration of an object is proportional to the net outside force acting on the object, and is inversely proportional to the mass of the object.

F = ma

F = net outside force on an object

m = mass of object

a = acceleration of object

- Mass: total amount of material in the object, an intrinsic value independent of gravitational environment; measured in Kg (Kilogram)
- Acceleration: the rate at which velocity changes
- Weight: force of gravity that acts on a body; measured in Newton (1 Newton = 0.225 Pound)
- Earth surface gravity = 9.8 m/s²
- Mars surface gravity = $3.7 \text{ m/s}^2 (0.4 \text{ g}_F)$

Newton Third Law of Motion

Third law of motion, or law of action and reaction:
 Whenever one body exerts a force on a second body, the second body exerts an equal and opposite force on the first body

Newton's Law of Universal Gravitation

Law of Universal Gravitation:

Two bodies attract each other with a force that is directly proportional to the mass of each body and inversely proportional to the square of the distance between them

$$F = G(\frac{m_1 m_2}{r^2})$$

F = gravitational force between two object

 m_1 = mass of first object

 m_2 = mass of second object

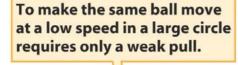
r = distance between objects

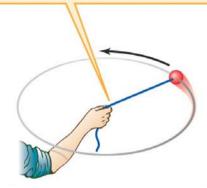
G = universal constant of gravitation:

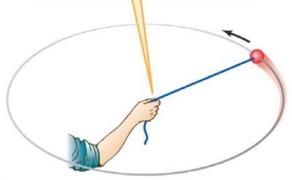
 $6.67 \times 10^{-11} \text{ newton } \cdot \text{m}^2/\text{kg}^2$

Gravitation: Orbital Motions

To make a ball move at a high speed in a small circle requires a strong pull.

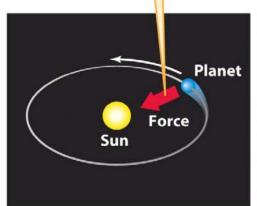


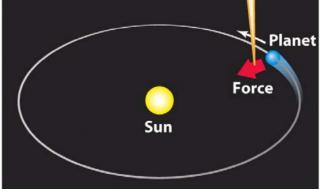




To make a planet move at a high speed in a small orbit requires a strong gravitational force.

To make the same planet move at a low speed in a larger orbit requires only a weak gravitational force.



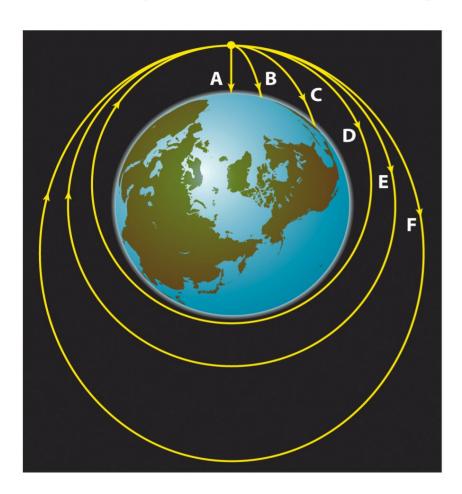


Kepler's three laws of planetary motion can be exactly derived from Newton's law of universal gravitation

E.g.,

- closer to the Sun
- stronger the gravitational force
- faster the orbital speed
- smaller the orbital period

Gravitation: Orbital Motions

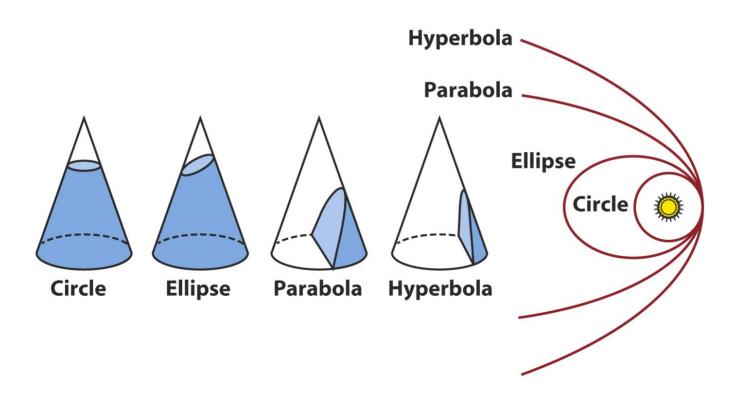


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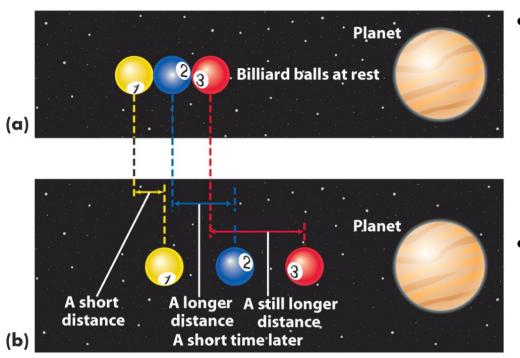
- Why not Earth falling into the Sun nor the Moon crashing into the Earth?
- Paths A, B, and C do not have enough horizontal velocity to escape Earth's surface whereas Paths D, E, and F do.
- Path E is where the horizontal velocity is exactly what is needed so its orbital curve matches the circular curve of the Earth

Gravitation: Orbital Motions

- Based on his gravitational law, Newton found that the orbits of an object around the Sun could be any one of a family of curves called conic sections
- Some comets are found to have hyperbolic orbits



Gravitation: Tidal Force



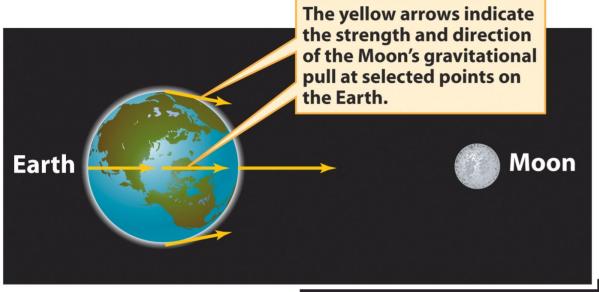
Planet

Planet

From the perspective of the center ball

- Tidal forces are differences in the gravitational pull at different points in an object
- From the perspective of the center ball, it appears that the forces have pushed the 1-ball away and pulled the 3ball toward the planets.

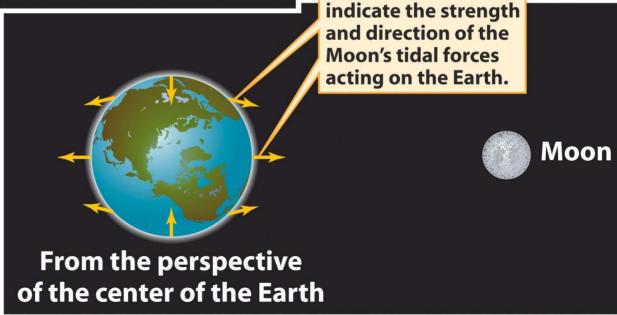
Tidal Force



 The tidal force equals the Moon's gravitational pull at the location minus the gravitational pull of the Moon at the center of the Earth

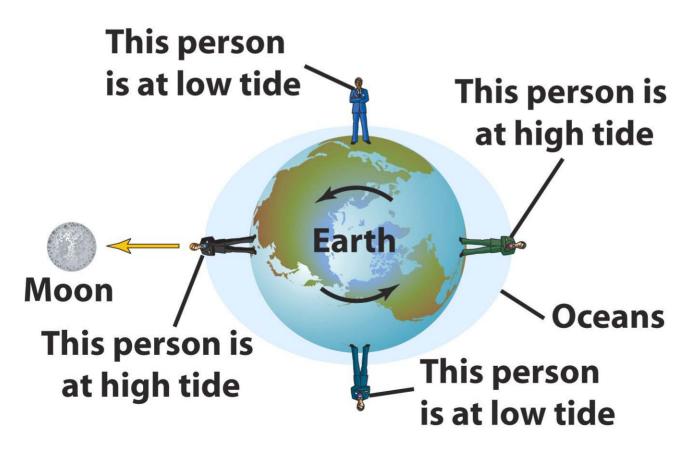
The yellow arrows

 These tidal forces tend to deform the Earth into a nonspherical shape



Tidal Force

- The positions of high tide caused by the Moon
 - Moon is at the upper local meridian (highest in the sky)
 - Moon is at the lower local meridian

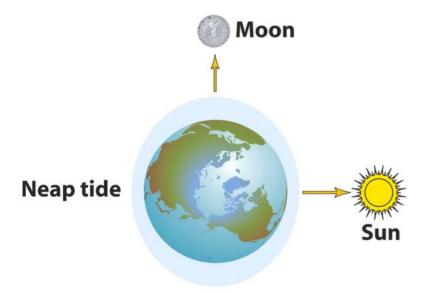


Tidal Force



Spring tide

- the highest tide, when the tidal effects of the Sun and Moon reinforce each other
- Happens at either new moon or full moon



Neap tide

- the smallest tide, when the tidal effects of the Sun and Moon partially cancelled each other
- Happens at either first quarter or third quarter

Final Notes on Chap. 4

- There are 8 sections. All the sections are covered.
- There are 4 boxes. All boxes are covered.

Advanced Question Chap. 4, Q43 in P93

Suppose that you travelled to a planet with 4 times the mass and 4 times the diameter of the Earth. Would you weigh more or less on that planet than on Earth? By what factor?